

STATIONS ACTIVITY: LOGARITHMS AND EXPONENTIALS

Name: _____

Evaluate the following **without** a calculator.

<p>1. $\ln e^{-4}$</p> <p>-4</p>	<p>2. $\log_2 32$</p> <p>5</p>	<p>3. $\log_3 \left(\frac{1}{9} \right)$</p> <p>-2</p>
<p>4. $3^{4x-1} = 27$</p> <p>$x = 1$</p>	<p>5. $2\log_3(x-3) = 4$</p> <p>$x = 12$</p>	<p>6. $\log(x+2) + \log(x-1) = 1$</p> <p>$(x+2)(x-1) = 10^1$</p> <p>$x^2 + x - 2 = 10$</p> <p>$x^2 + x - 12 = 0$</p> <p>$(x+4)(x-3) = 0$</p> <p>$x = 3$ $x = -4$</p> <p>$\log(3+2) = \log 5$</p> <p>$\log(3-1) = \log 2$</p> <p>$\log(-4+2) = \log(-2) \times$</p>

Remember we had three different formulas for exponential expressions.

<p>7. When do you use the formula</p> $P = A_0(1 \pm r)^t ?$ <p>Population</p> <p>a. What does P represent? ending population</p> <p>b. What does A_0 represent? starting population</p> <p>c. What does r represent? rate (written as a decimal)</p> <p>d. What does t represent? time</p>	<p>8. When do you use the formula</p> $P = A_0 \left(1 \pm \frac{r}{n} \right)^{nt} ?$ <p>interest compounded n times a year</p> <p>a. What does P represent? ending balance</p> <p>b. What does A_0 represent? initial balance</p> <p>c. What does r represent? rate (as a decimal)</p> <p>d. What does n represent? time per year being compounded</p> <p>e. What does t represent? time (in years)</p>	<p>9. When do you use the formula</p> $A = Pe^{rt} ?$ <p>interest compounded continuously</p> <p>a. What does A represent? ending balance</p> <p>b. What does P represent? initial balance</p> <p>c. What does r represent? rate</p> <p>d. What does t represent? time</p>
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